

## Magnetophoresis of flexible DNA-based dumbbell structures

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Controlled movement and manipulation of magnetic micro- and nanostructures using magnetic forces can give rise to important applications in biomedicine, diagnostics, and immunology. We report controlled magnetophoresis and stretching, in aqueous solution, of a DNA-based dumbbell structure containing magnetic and diamagnetic microspheres. The velocity and stretching of the dumbbell were experimentally measured and correlated with a theoretical model based on the forces acting on individual magnetic beads or the entire dumbbell structures. The results show that precise and predictable manipulation of dumbbell structures is achievable and can potentially be applied to immunomagnetic cell separators. © 2008 American Institute of Physics. [DOI: 10.1063/1.2834698]

Magnetic micro- and nanoparticles find widespread applications in biotechnology, e.g., separation of cells and biomolecules. Commercially available, micrometer-sized magnetic beads (MBs) are polymer spheres containing homogeneously dispersed superparamagnetic iron oxide nanoparticles.<sup>1</sup> To make them suitable for biological uses, their surface is typically functionalized with high affinity binding proteins, e.g., streptavidin or protein A. Such affinity functionalized beads can then be bound specifically to cells or biomolecules for magnetic separation from biological samples (magnetic pulldown). In contrast to such bulk magnetic separation, controlled manipulation and movement (magnetophoresis) of individual magnetic beads requires more intricate control over external magnetic fields. Despite efforts in the last 20 years to optimize magnetophoretic conditions for this purpose,<sup>2,3</sup> applications involving magnetophoresis are still scarce and almost exclusively tested on individual MBs.<sup>1,4,5</sup>

General theoretical basis for MB magnetophoresis can be derived by accounting for the forces acting on the MB. In the presence of an inhomogeneous magnetic field, a magnetic force  $\mathbf{F}_m = \nabla(\mathbf{m} \cdot \mathbf{B})$  is exerted on a MB. Here,  $\mathbf{m}$  is the magnetization of a bead in the magnetic field  $\mathbf{B}$ . In the conditions used in this study, the magnetization of a MB is unsaturated (the saturation magnetic field is  $B_s \approx 0.5$  T) and, hence, the magnetic response of the bead is described as a linear function of the volumetric magnetic susceptibility  $\chi_b$ . Therefore, the magnetic force becomes

$$\mathbf{F}_m = \frac{V(\chi_b - \chi_s)}{\mu_0} \mathbf{B}(\nabla \cdot \mathbf{B}), \quad (1)$$

where  $V$  is MB's volume,  $\chi_s$  is the volume magnetic susceptibility of the surrounding aqueous solution, and  $\mu_0$  is the vacuum magnetic permeability. In addition to this magnetic force, MBs moving in a fluid also experience a counteracting viscosity-related drag force. For a spherical particle in laminar flow, the drag force is  $\mathbf{F}_d = 6r\pi\eta\mathbf{v}$ , where  $\eta$  is viscosity of a fluid and  $\mathbf{v}$  and  $r$  stand for velocity and radius of a bead, respectively. Thus, the net force acting on a MB is given as

$$\mathbf{F} = \mathbf{F}_m - \mathbf{F}_d = \frac{V(\chi_b - \chi_s)}{\mu_0} (\mathbf{B} \nabla \cdot \mathbf{B}) - 6r\pi\eta\mathbf{v}. \quad (2)$$

Magnetic separations of specific immune cell types and populations have found widespread use in research, diagnostic, and therapeutic uses. Immunochemical methods have been developed for attachment of magnetic beads to the cell surfaces, typically followed by magnetic separation.<sup>6</sup> Frequent problem encountered in this type of "positive" immunomagnetic sorting is that the immune cell can "sense" the magnetic bead, thus, triggering immunogenic responses such as activation and internalization.<sup>7</sup> This often necessitates the use of an alternative, "negative" sorting technique that targets for removal all cell types with the exception of the cell population of interest, which remains unattached.<sup>8</sup> Negative sorting is an expensive and cumbersome proposition, as it requires the use of large quantities and diverse panels of magnetic beads directed at many divergent cell types.

We have reasoned that formation of dumbbell structures by attaching magnetic beads to immune cells via polymeric linkers would provide sufficient separation between the MB and the cell surface to minimize activation and internalization and, thus, would be an attractive alternative to negative immunomagnetic sorting. We report on an experimental study of controlled movement of model structures consisting of magnetic beads and latex diamagnetic spheres, joined via DNA linkers, as a physical model for magnetophoretic separation of immunological cell types via dumbbells.

An illustration of a dumbbell is shown on Fig. 1(inset). The magnetic beads M-280 with diam=2.8  $\mu\text{m}$  and MyOne with diameters of 1  $\mu\text{m}$  (Invitrogen, Oslo, Norway) were investigated. The iron contents for M-280 and MyOne were  $\approx 12\%$  and  $\approx 24\%$ , respectively.<sup>9</sup> In this study, we concentrated on analyzing the results obtained with M-280 MBs.

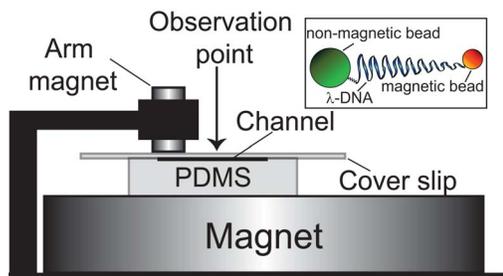


FIG. 1. (Color online) Experimental setup. The arm magnet is illustrated together with the disk magnet and a microfluidic channel. The observation point is roughly indicated. (inset) Schematic illustration of a dumbbell.

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The nonmagnetic beads (NMBs) are diamagnetic, polymer spheres with a diam=5.6  $\mu\text{m}$  (Bangs Laboratories, Inc.).

The flexible linker consisted of bacteriophage  $\lambda$ -DNA (New England Biolabs, USA) with a contour length of 16.5  $\mu\text{m}$ . A biotinylated oligonucleotide was ligated to the first recessed 3' end of  $\lambda$  and the purified biotinylated DNA was then bound to streptavidin coated M-280 MBs via a strong biotin-streptavidin bond. In order to attach a streptavidin-coated NMB to the other terminus of the DNA polymer, we used biotin incorporation via fill in of the second recessed 3' end with Klenow polymerase and biotin-deoxycytidine triphosphate (dCTP). Finally, the complete DB was formed by resuspending the reaction product in aqueous buffer and adding streptavidin-coated NMBs. A full description of the dumbbell synthesis process will be published elsewhere. Prior to magnetophoresis, the solutions were diluted in de-ionized water containing 1% by weight (1 wt %) of sodium dodecyl sulfate surfactant. This minimizes nonspecific adhesive binding between the beads and the surfaces of the channel.

All experiments on controlled movement and manipulation of the dumbbells were done in microfluidic channels with widths from 200  $\mu\text{m}$  down to 50  $\mu\text{m}$ . A mould with the channel pattern was structured with SU-8 photoresist on a silicon wafer using standard photolithography.<sup>10</sup>

Magnetophoresis was performed initially on individual MBs and subsequently the procedure was applied to the dumbbells. The microfluidic chip was loaded with the MB suspension (typically 1  $\mu\text{l}$ ) and subsequently transferred onto a stationary, permanent disk magnet (rare earth magnet NdFeB, 50 mm diameter, 6 mm width). The radial magnetic field gradient generated by the disk shape ( $\nabla \cdot \mathbf{B} \approx 6.5 \text{ T/m}$ ), enables us to achieve directional movement of the beads along the channel in a controlled manner (the  $x$  direction was arbitrarily chosen). We safely neglected effects of the gravitational force and thermal energy.<sup>1</sup> The movement of individual MBs was observed with a light microscope (51 $\times$ , Olympus, Japan) equipped with a 20 $\times$  objective (UPlan FI, Olympus, Japan). The trajectories were recorded at different spatial positions on the magnet with a digital camera (DP-70, Olympus, Japan). The integration time varied between one second (strong magnetic field) up to 10 s (weak magnetic field). From these images, one can calculate the velocity of MBs by dividing the recorded distance with the integration time.

To estimate the dynamics of a DB in a microfluidic channel, we considered that the net force acting on a DB is composed of the total force given by Eq. (2), acting on the MB terminus, while the NMB experiences only the drag force. Stretching of the DNA linker occurs only if sufficient force difference is exerted on the DB between the MB and the NMB. The dumbbell will move with equilibrium velocity approximating a value that can be found from Eq. (2) for the MB and will determine the drag force acting on the NMB terminus. The hydrodynamic drag force would act as a dynamic anchor and at equilibrium would be equal to the stretching force. For the disk magnet, the stretching force was estimated  $\approx 0.1 \text{ pN}$ ,<sup>11</sup> which was not sufficient to completely stretch a DB. To increase the force, we redesigned our magnetophoretic set up, introducing an additional permanent magnet (4.5 mm diameter, 2.5 mm width), which can be moved at desired position over the stationary disk magnet. A side view of a channel sandwiched between the arm and disk

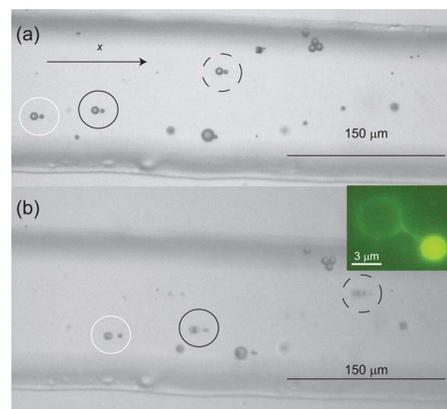


FIG. 2. (Color online) (a) An optical image (20 $\times$  objective) of a microfluidic channel loaded with DBs at low strength magnetic field. The three distinct DBs are indicated with circles. (b) The same position as in (a) after locally increasing the magnetic field and the gradient by the arm magnet. Stretched DBs are indicated with the same circles as in (a). Inset: a fluorescence image (100 $\times$  objective), an individual, partially stretched DB formed with a DNA as a link between the beads.

magnet is shown in Fig. 1. This provided a significant increase in the magnetic field gradient experienced by a MB. For example, even at a distance of 2.5 mm from its center [the observation point in Fig. 1], the stretching force is  $\approx 0.5 \text{ pN}$ , which should be sufficient to fully stretch a single strand of  $\lambda$ -DNA.<sup>3,12</sup>

Figure 2(a) shows an optical image of a microfluidic channel at position  $x=10 \text{ mm}$  on the disk magnet and relatively far away from the arm magnet ( $>5 \text{ mm}$ ). Three partially stretched DBs are visible in the channel (indicated by circles). The average stretching was found to be  $1.3 \pm 0.3 \mu\text{m}$ . Subsequently, we approached with the arm magnet at a distance of  $\approx 2.5 \text{ mm}$  from the observation point. The image shown in Fig. 2(b) is taken at the same position of the microfluidic channel, as in Fig. 2(a). The movements of all three DBs are clearly visible despite the short integration time  $\approx 20 \text{ ms}$ . Moreover, the DBs from left to right along the channel (the arm magnet is situated on the right side), show an increase in velocity which is reflected in the image as blurring (the faster the DB moves, the more pronounced the blurring is). The average stretching is found to be  $3.1 \pm 0.4 \mu\text{m}$ , more than doubled compared to the stretching obtained from Fig. 2(a). This conformal elongation of DB is significantly shorter than the full length of  $\lambda$ -DNA. The main reason for such incomplete stretching is the presence of multiple DNA molecules in the linker since the large surface area of the beads contained multiple streptavidin molecules. In addition, some of the DNA molecules are very likely to be wrapped around the beads, which further reduces the probability of a full contour stretching of a DB. It is possible to reduce multiple attachments of DNA by sonicating the samples for few seconds ( $\approx 4 \text{ s}$ ) which can lead to shearing of DNA molecules. After sonication, the percentage of DBs connected by a single strand was found to be around 20%. However, the overall number of DBs was also reduced, and at longer sonication times no DBs were visible, due to complete shearing of the dumbbell linker. The fluorescent image of a DB containing the beads and DNA is shown in inset of Fig. 2(b). The image is obtained with a fluorescence microscope where the DNA is stained with a cyanine dimer dye, YOYO-1 (Molecular Probes Inc., USA). The numerous DNA molecules anchored at the edges of the beads are

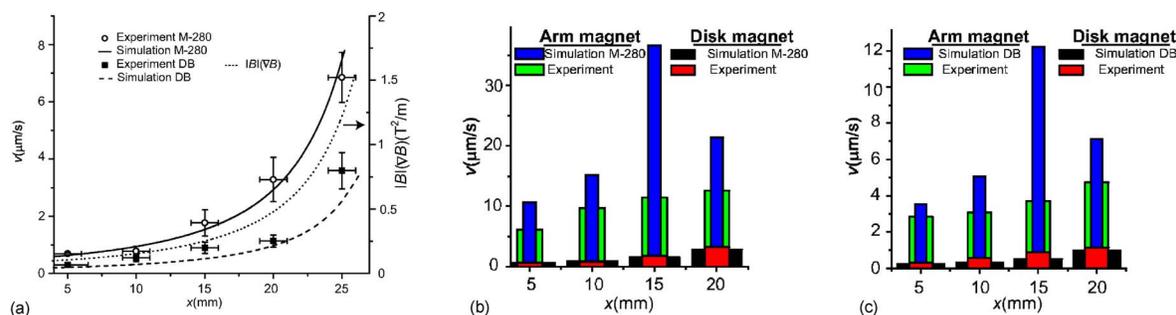


FIG. 3. (Color online) (a) Plot of velocities for the MBs and DBs vs their spatial position on the disk magnet. Symbols represent measured values, while full lines are simulated velocities calculated by solving Eq. (2) numerically. The dashed line shows a dependence of product  $|\mathbf{B}|(\nabla \cdot \mathbf{B})$  along the disk magnet (right axes). [(b) and (c)] Histograms of measured and simulated velocities versus a spatial magnetic position for the arm magnet and disk magnet. (b) corresponds to MBs M-280 and (c) to DBs.

clearly visible as a bright halo. The multiple DNA binding could be more controllably reduced in the future by using magnetic nanoparticles which offer smaller surface area per particle and, hence, fewer attachment sites.

In order to model the system, we needed to know the magnetic field and its gradient. The magnetic field was measured with a gaussmeter (Lakeshore, 410). From the obtained values we were numerically able to extract the magnetic field gradient. In Fig. 3(a), we plotted the experimentally obtained velocities at various spatial positions on the disk magnet for an individual MB and a DB. The velocity-position dependence is simulated by numerically solving Eq. (2) using  $2.8 \mu\text{m}$  as the MB diameter ( $2.8$  and  $5.6 \mu\text{m}$  for a DB), the viscosity of water  $\eta = 8.9 \times 10^{-5} \text{ kg m}^{-1} \text{ s}^{-1}$ , the magnetic permeability of vacuum  $\mu_0 = 4\pi \times 10^{-7} \text{ N/A}^2$ , while the magnetic susceptibility of the fluid comparative to the MB was neglected. We would like to emphasize that the volume magnetic susceptibility of the MB can be extracted as a fitting parameter from the velocity-position measurements. For an individual MB, we obtain  $\chi_b = 0.13 \pm 0.04$  which is in good agreement with previously reported values.<sup>13,14</sup> In the case of the DB, the dynamics of DNA were neglected, which was justified due to the size of the used beads. The drag force associated with the beads is greater than for a single DNA molecule, multiple DNA molecules in the linker between, or multiple DNAs wrapped around beads. From the plot in Fig. 3(a), we see that the experimental results for the MBs and DBs are well described by this simple theoretical model. As a qualitative check, we also display in Fig. 3(a) the product  $|\mathbf{B}|(\nabla \cdot \mathbf{B})$  versus spatial position on the disk magnet (dotted line). Clearly, the  $|\mathbf{B}|(\nabla \cdot \mathbf{B})$  product is the main qualitative determinant for the dynamic behavior of the objects in this study. Finally, with Figs. 3(b) and 3(c), we demonstrate the significant increase in the velocity and stretching of a DB, when the arm magnet is used in combination with the disk magnet. Figure 3(b) shows histograms of experimentally found velocities, together with the corresponding simulation for a single MB, while Fig. 3(c) displays similar histograms for the DB. Simulated velocities were extracted by calculating the magnetic field and its gradient along the length of the channel for the magnetic configuration illustrated in Fig. 1.<sup>15</sup> Both histograms in Figs. 3(b) and 3(c), display a marked increase in the velocities of the test objects. While the overall trend of velocity increase in the case of the arm magnet setup is present, it is in lesser agreement with the simulation than in the case of the bare disk magnet. We find that simulation values are highly sensitive to the magnetic field gradient and

the extracted values strongly depend on the exact choice of observation position. Thus, small inherent inaccuracies in precise determination of the observation point position can lead to sizeable disagreement between the model and the data.

In conclusion, we have investigated magnetophoresis of MBs and DBs formed from magnetic and nonmagnetic beads connected by DNA strands. We find a strong dependence of dumbbell stretching on the product of the magnetic field and its gradient. Experimentally measured velocities of the MBs and DBs were compared with a theoretical model, assuming simple equilibrium between magnetic and drag force. We find solid agreement between the model and the experimental data. This demonstrated approach to use a magnetic force to stretch a flexible DNA-based dumbbell, with a hydrodynamic drag force acting as a dynamic anchor on the nonmagnetic terminus, has the potential to be a versatile tool in future applied biological and biomedical separation devices.

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